

《实分析和概率论》

图书基本信息

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作者：达德利

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《实分析和概率论》

内容概要

这是一本广受称赞的教科书，清晰地讲解了现代概率论以及度量空间与概率测度之间的相互作用。本书分两部分，第一部分介绍了实分析的内容，包括基本集合论、一般拓扑学、测度论、积分法、巴拿赫空间和拓扑空间中的泛函分析导论、凸集和函数、拓扑空间上的测度等。第二部分介绍了基于测度论的概率方面的内容，包括大数律、遍历定理、中心极限定理、条件期望、鞅收敛等。另外，随机过程一章(第12章)还介绍了布朗运动和布朗桥。

与前版相比，本版内容更完善，一开始就介绍了实数系的基础和泛代数中的一致逼近的斯通-魏尔斯特拉斯定理；修订和改进了几节的内容，扩充了大量历史注记；增加了很多新的习题，以及对一些习题的解答的提示。

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《实分析和概率论》

媒体关注与评论

本书在两个方面获得了极佳的成功。一是它是一本全面、新颖的实分析教程，二是它是一本数学理论完整和自成体系的概率论教程。本书无疑给出了一种严谨和完整的新标准。——美国数学会公报

这是一本非凡的著作。在教学和参考两个方面本书将成为一本标准化教材，它全面地介绍了实分析的必备知识，且证明贯穿全书。一些主题和证明极少在其他教科书中见到。——爱丁堡数学会学报

严谨，精深，新颖，这是一本适用于数学专业研究生的教材。——ISI的简短书评

《实分析和概率论》

编辑推荐

这是一本广受称赞的教科书，清晰地讲解了现代概率论以及度量空间与概率测度之间的相互作用。本书分两部分，第一部分介绍了实分析的内容，包括基本集合论、一般拓扑学、测度论、积分法、巴拿赫空间和拓扑空间中的泛函分析导论、凸集和函数、拓扑空间上的测度等。第二部分介绍了基于测度论的概率方面的内容，包括大数律、遍历定理、中心极限定理、条件期望、鞅收敛等。另外，随机过程一章（第12章）还介绍了布朗运动和布朗桥。与前版相比，本版内容更完善，一开始就介绍了实数系的基础和泛代数中的一致逼近的斯通-魏尔斯特拉斯定理；修订和改进了几节的内容，扩充了大量历史注记；增加了很多新的习题，以及对一些习题的解答的提示。

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精彩短评

1、 Good

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精彩书评

1、MIT的Real Analysis，和Princeton的Stein, E.M., et al.写的各有千秋。Stein的语言风格更通俗易懂，而Dudley的更加Bourbaki。之前也有学长说过这部更适合有基础的同学或者当做字典来用，我同意。当做字典的话，这一部非常精炼，基础知识的介绍也相对完整，有较为充分的篇幅介绍Zermelo Fraenkel体系，每个章节末尾还有背景知识科普。个人感觉这部大作中定理的证明方法，比Walter Rudin的更加归纳化，比Royden的更加演绎化。我喜欢极了这部对于概率论的阐释，逻辑精炼，形式优美，结构安排得当，值得一读。

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