

《概率论、马尔科夫链、排队和模拟》

图书基本信息

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作者：（美国）斯图尔特（William J.Stewart）

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内容概要

斯图尔特著的《概率论马尔科夫链排队和模拟》是一部讲述如何挖掘蕴藏在模型表现形式背后的数学过程的权威作品。详细的数学推导和大量图例使得更加易于研究生和高年级本科生作为学习随机过程的教材和参考资料。本书应用广泛，也适用于计算科学、工程、运筹学、统计和数学等学科。

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