

《随机控制》

图书基本信息

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数学

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编辑推荐

随机控制也叫试探控制，是最原始的控制方式，是其他一切控制方式的基础。随机控制是完全建立在偶然机遇的基础上，是“试试看”思想在控制活动中的体现。随机控制在成功的同时，常常伴随着失败。这种控制方式有较大的风险，对事关重大的活动，一般不宜采用这种控制方式。《随机控制》(作者雍炯敏)是关于介绍随机控制的英文教材。

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精彩短评

1、雍教授是不错的学者，看看他的书。

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